OPTIMAL TRANSPORT
AND APPLICATIONS TO MACHINE LEARNING AND STATISTICS

Hot Topics Workshop
MSRI, May 4 to 8, 2020

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